

PIM L2 Syllabus Review

Name: _____

1. What is the name of this course?
2. What is the name of your teacher?
3. List three of your five required daily materials:
 -
 -
 -
4. Identify and describe one of this course's ethics:
 -
5. Who is your class partner?

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PIM L3 DO NOW!

Name: _____

MOTION

Know (write down everything you already know about the bold-faced topic):

Want to know (write down what you want to know the bold-faced topic):

Learned (after the unit is complete, write down what you learned about the bold-faced topic):

1. Showing your work, solve $\bar{v} = \frac{x - x_0}{t}$ for t .

$t =$

2. Using the previous answer, set $x_0 = 0$ and rewrite it as a new equation.

$t =$

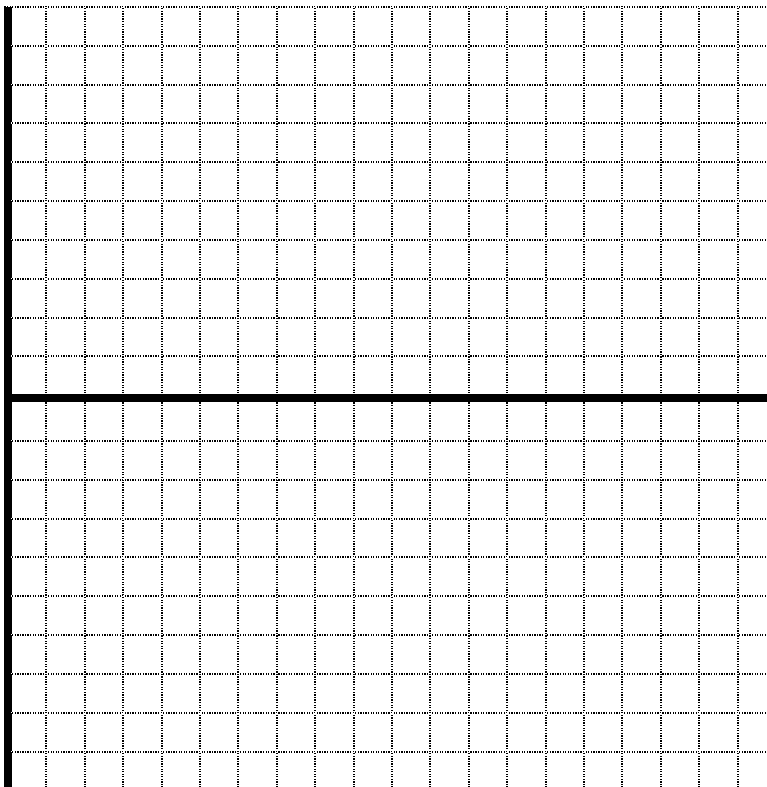
3. Showing your work, solve $a = \frac{v - v_0}{t}$ for v .

$v =$

4. Using the previous answer, set $v_0 = 0$ and rewrite it as a new equation.

$v =$

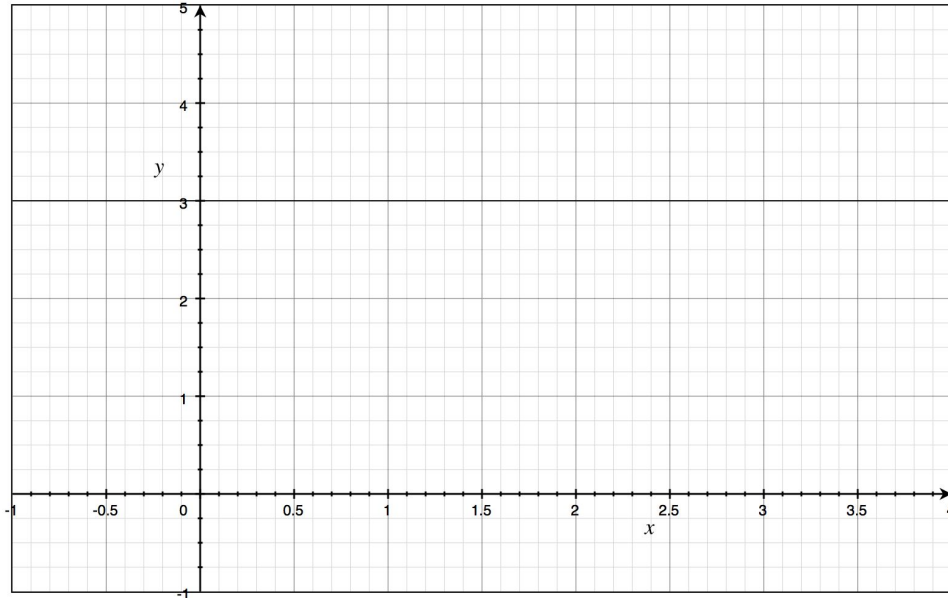
5. Using the previous answer, set $a = 10$ and graph the *velocity* equation as a function of *time*.



PIM L5 DO NOW!

Name: _____

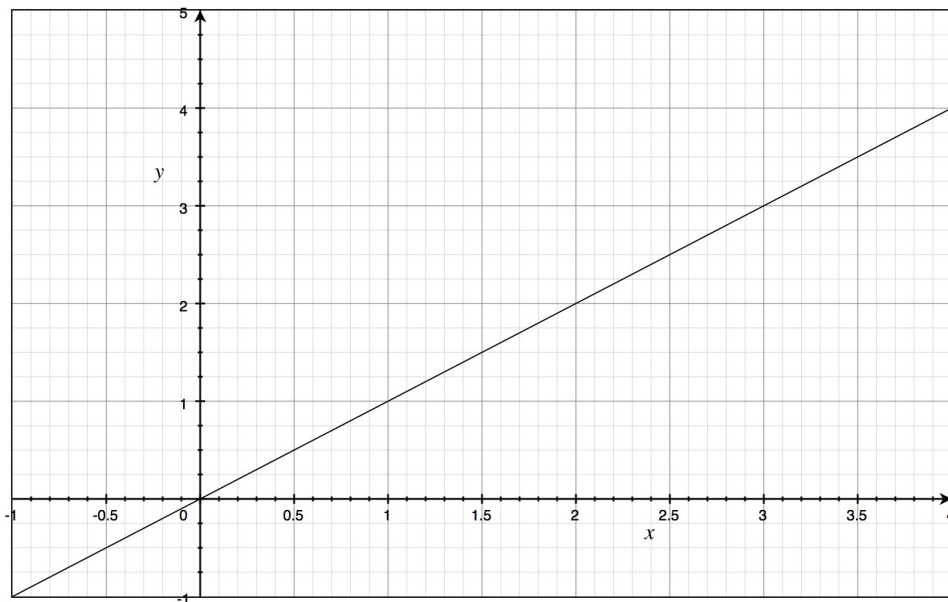
1. Determine the y-intercept, slope, & area “under the curve” (from 0 s to 3 s) for the following graphs:



y-Intercept:

Slope:

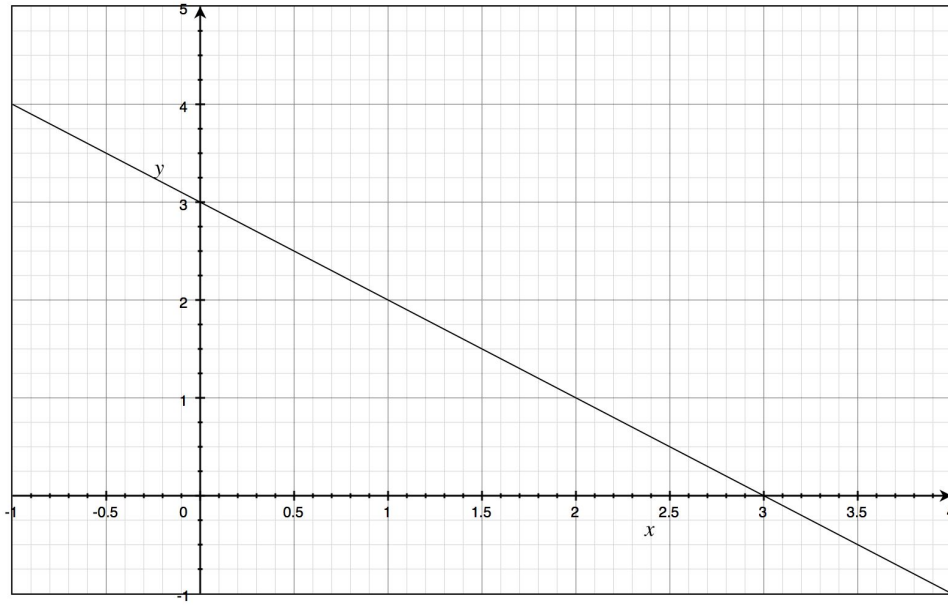
Area (from 0→3):



y-Intercept:

Slope:

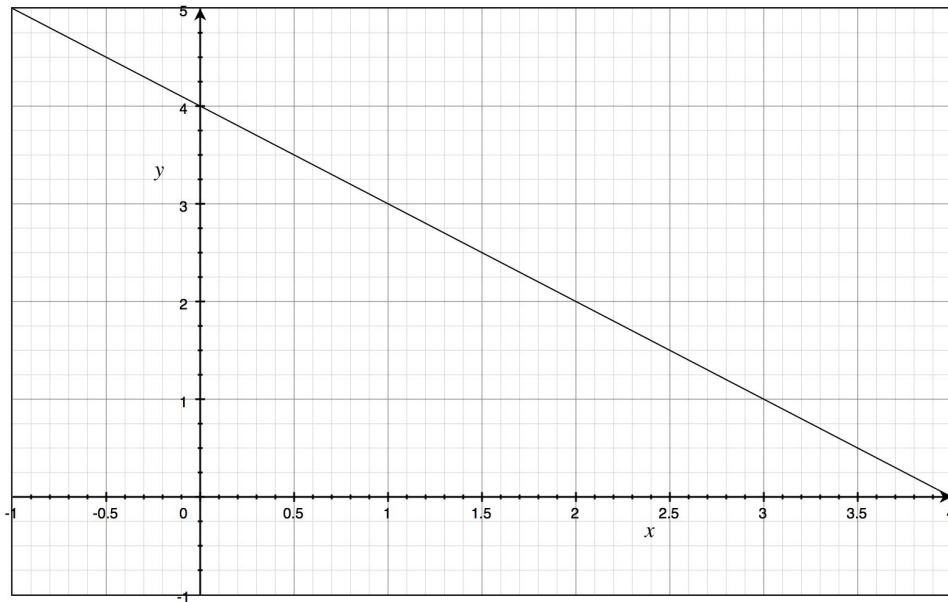
Area (from 0→3):



y -Intercept:

Slope:

Area (from $0 \rightarrow 3$):



y -Intercept:

Slope:

Area (from $0 \rightarrow 3$):

1. Any measurement of position, distance, or speed must be made with respect to a _____.
2. How far the object is from its starting point, regardless of how it got there is called _____.
3. The measurement of the actual path traveled is called _____.
4. The change in position is called _____.
5. The formula for displacement is _____.
 - a. $\Delta x = x_1 - x_2$
 - b. $\Delta x = x_2 - x_1$
 - c. $\Delta x = x_1 + x_2$
 - d. $\Delta x = x_1 - x_2$ or $\Delta x = x_2 - x_1$
6. If $x_2 > x_1$, then the displacement is _____.
7. If $x_2 < x_1$, then the displacement is _____.
8. If $x_2 = x_1$, then the displacement is _____.
9. The unit for displacement is _____.
10. What is Jerry-the-Race-Car-Driver's TOTAL DISPLACEMENT if he drives 150 feet down the road before putting it into reverse to pickup his girlfriend that he left at a Richmond truck stop and has now walked 25 feet in the other direction before he arrives? (Note: Although it was not a positive move on his part to leave his girlfriend, let's make his initial direction of motion "positive")
11. What is Jerry-the-Race-Car-Driver's TOTAL DISTANCE TRAVELED if he drives 150 feet down the road before putting it into reverse to pickup his girlfriend that he left at a Richmond truck stop and has now walked 25 feet in the other direction before he arrives? (Note AGAIN: Although it was not a positive move on his part to leave his girlfriend, let's make his initial direction of motion "positive")

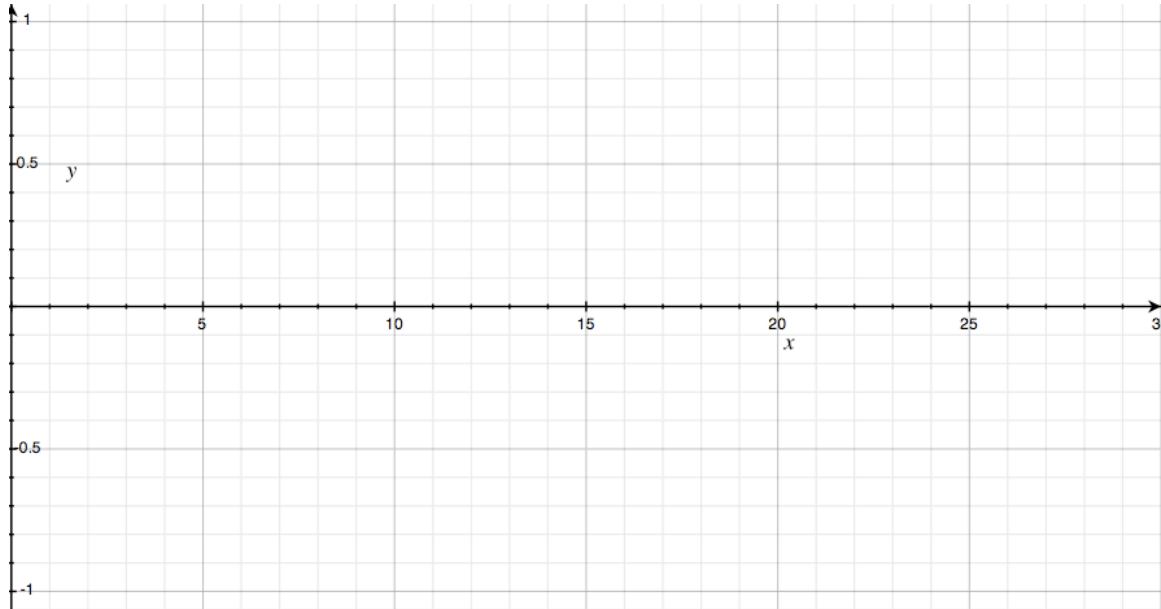
1. _____ Suppose that an object travels from one point in space to another. Make a comparison between the displacement and the distance traveled.
 - a. The displacement is either greater than or equal to the distance traveled.
 - b. The displacement is always equal to the distance traveled.
 - c. The displacement is either less than or equal to the distance traveled.
 - d. The displacement can be either greater than, smaller than, or equal to the distance traveled.

2. _____ Suppose that an object travels from one point in space to another. When is the only time the displacement equals distance traveled.
 - a. When the displacement is in a straight line.
 - b. When the displacement is changes direction.
 - c. When the distance traveled is in a straight line.
 - d. When the traveled path changes direction.

3. _____ An object moves 15.0 m north and then 9.0 m south. Find both the distance traveled and magnitude of the displacement vector. Let north be the positive direction.
 - a. 6.0 m, 24.0 m.
 - b. 24.0 m, 6.0 m.
 - c. 24.0 m, 24.0 m.
 - d. 6.0 m, 6.0 m.

4. _____ An object moves 15.0 m north and then 9.0 m south. How would the directions of motion and the object's final displacement be described as numbers. Let north be the positive direction.
 - a. 15.0 m, 9.0 m; 6.0 m.
 - b. 15.0 m, -9.0 m; -6.0 m.
 - c. 15.0 m, -9.0 m; 6.0 m.
 - d. -15.0 m, 9.0 m; -6.0 m.
 - e. Both c and d
 - f. All of the above
 - g. None of the above

5. _____ An object moves **15.0 m north** and then **9.0 m south**. Graph the directions of motion (preferably in two different colors) and identify the object's final displacement as an **arrow**. Let north be the positive **x**-direction.



Moon-walking Velocity Practice Problems

1. What is the average velocity, v_{ave} , for a 1984 “moon-walking” pop-star moving across the stage from 10 m to 30 m in 20 s?
 - a. Identify what you are trying to find:
Find _____.
 - b. Identify the given information:
 $x_1 =$ _____
 $x_2 =$ _____
 $\Delta t =$ _____
 - c. Draw a picture.
 - d. Write down the formula that contains v_{ave} , x_1 , x_2 , and Δt :
 - e. If necessary, algebraically solve for the unknown.
 - f. Substitute the numbers and units into the problem:
 - g. Write the answer with units:

2. How much time does it take for a 1984 “moon-walking” pop-star traveling with a velocity of 5 m/s to travel across the stage from 10 m to 30 m?
 - a. Identify what you are trying to find:
Find _____.
 - b. Identify the given information:
 $x_1 =$ _____
 $x_2 =$ _____
 $v_{ave} =$ _____
 - c. Draw a picture.
 - d. Write down the formula that contains v_{ave} , x_1 , x_2 , and Δt :
 - e. If necessary, algebraically solve for the unknown.
 - f. Substitute the numbers and units into the problem:
 - g. Write the answer with units:

1. If a car traveled for **30 minutes** at **30 mph** and then travels the next **30 minutes** at **60 mph**...
 - a. PREDICT: The car's average speed is (less than, equal to, greater than) 45 mph.
 - b. How far did the car traveling during the **first 30 minutes**?
 - c. How far did the car traveling during the **second 30 minutes**?
 - d. How much time did the car travel?
 - e. What is the car's average speed?
 - f. Extra Credit: Derive a general formula for the car's average speed, v_{ave} , in this scenario in terms of t_1 , s_1 , t_2 , and s_2 :

The following is homework tonight

2. If a car traveled for **12 minutes** at **30 mph** and then travels the next **18 minutes** at **60 mph**...
 - a. PREDICT: The car's average speed is (less than, equal to, greater than) 45 mph.
 - b. How far did the car traveling during the **first 12 minutes**?
 - c. How far did the car traveling during the **second 18 minutes**?
 - d. How much time did the car travel?
 - e. What is the car's average speed?
 - f. Extra Credit: Calculate the car's average speed using the general formula that you derived above:

3. If a car traveled for 10 miles at 30 mph and then travels the next 10 miles at 60 mph...
- PREDICT: The car's average speed is (less than, equal to, greater than) 45 mph.
 - How long was the car traveling during the first 10 miles?
 - How long was the car traveling during the second 10 miles?
 - How far did the car travel?
 - What is the car's average speed?
 - Extra Credit: Derive a general formula for the car's average speed, v_{ave} , in this scenario in terms of d_1 , s_1 , d_2 , and s_2 :
4. If a car traveled for 5 miles at 30 mph and then travels the next 15 miles at 60 mph...
- PREDICT: The car's average speed is (less than, equal to, greater than) 45 mph.
 - How long was the car traveling during the first 5 miles?
 - How long was the car traveling during the second 15 miles?
 - How far did the car travel?
 - What is the car's average speed?
 - Extra Credit: Calculate the car's average speed using the general formula that you derived above:

PIM L11 DO NOW!

Name: _____

How much time is needed for an admirer, running at 10 m/s, to catch up to the pop-star, traveling at 5 m/s, when they only 20 m apart? (SHOW ALL 7 STEPS)

PIM L11 DO NOW!

Name: _____

How much time is needed for an admirer, running at 10 m/s, to catch up to the pop-star, traveling at 5 m/s, when they only 20 m apart? (SHOW ALL 7 STEPS)

1. _____ When is the average velocity of an object equal to the instantaneous velocity?
 - a. Always.
 - b. Never.
 - c. Only when the velocity is constant.
 - d. Only when the velocity is increasing at a constant rate.

2. _____ Suppose that a car travels from one point in space to another. When is the only time the **average velocity** equals **speed** at ALL times.
 - a. When the average velocity **does not change direction**.
 - b. When the average velocity **changes direction**.
 - c. When the car travels in a **straight line at the same speed**.
 - d. When the car travels in a **straight line at different speeds**.
 - e. When the car **changes direction**.
 - f. When the car **changes its speed**.

3. _____ An object moves 15.0 m/s north for 1 min and then 9.0 m/s south for 1 min. How would the velocity and the object's average velocity be described as numbers. Let north be the positive direction.
 - a. 15.0 m/s, 9.0 m/s; 6.0 m/s.
 - b. 15.0 m/s, -9.0 m/s; -6.0 m/s.
 - c. 15.0 m/s, -9.0 m/s; 6.0 m/s.
 - d. -15.0 m/s, 9.0 m/s; -6.0 m/s.

4. _____ What must be your average speed in order to travel 350 km in 5.15 h?
 - a. 69.0 km/h.
 - b. 68.0 km/h.
 - c. 67.0 km/h.
 - d. 66.0 km/h.

1. _____ A car travels 90 km/h. How long does it take for it to travel 400 km?
 - a. 4.4 h.
 - b. 4.3 h.
 - c. 4.2 h.
 - d. 4.1 h.

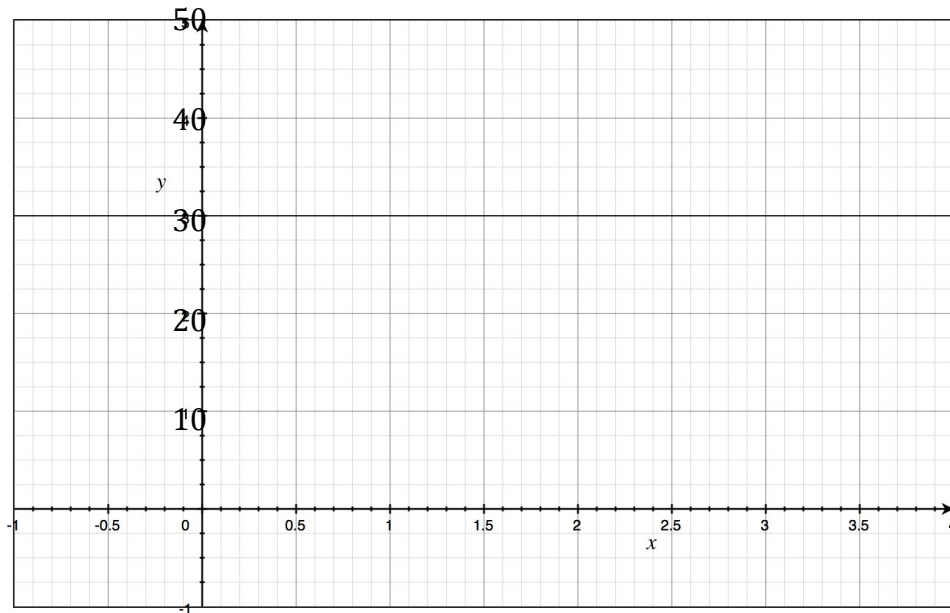
2. _____ If you run a complete loop around an outdoor track (400 m) in 100 s, your average velocity is _____.
 - a. 0.0 m/s.
 - b. 0.25 m/s.
 - c. 4.0 m/s.
 - d. 40 000 m/s.

3. _____ A boat moving at 30 km/h is trying to catch a canoe (12 km in front of it) that is moving at 6.0 km/h. How long will it take the boat to catch the canoe?
 - a. 20 min.
 - b. 24 min.
 - c. 30 min.
 - d. 36 min

PIM L14 DO NOW!

Name: _____

1. Substitute $v_0 = v - at$ directly into $x = x_0 + \frac{1}{2}(v_0 + v)t$.
2. For the previous general equation, set $x_0 = 0$, $v = 0$, and $a = -10$. Write the new equation.
3. Graph the displacement as a function of time $[x(t)]$ for the special equation above.



4. Using equation #3, determine the **y-intercept** and the **slope** of the line:
y - intercept: _____ **Slope:** _____
5. Using equation #3, determine the **area** "under the $x(t)$ curve" from $t = 0$ to $t = 2$: